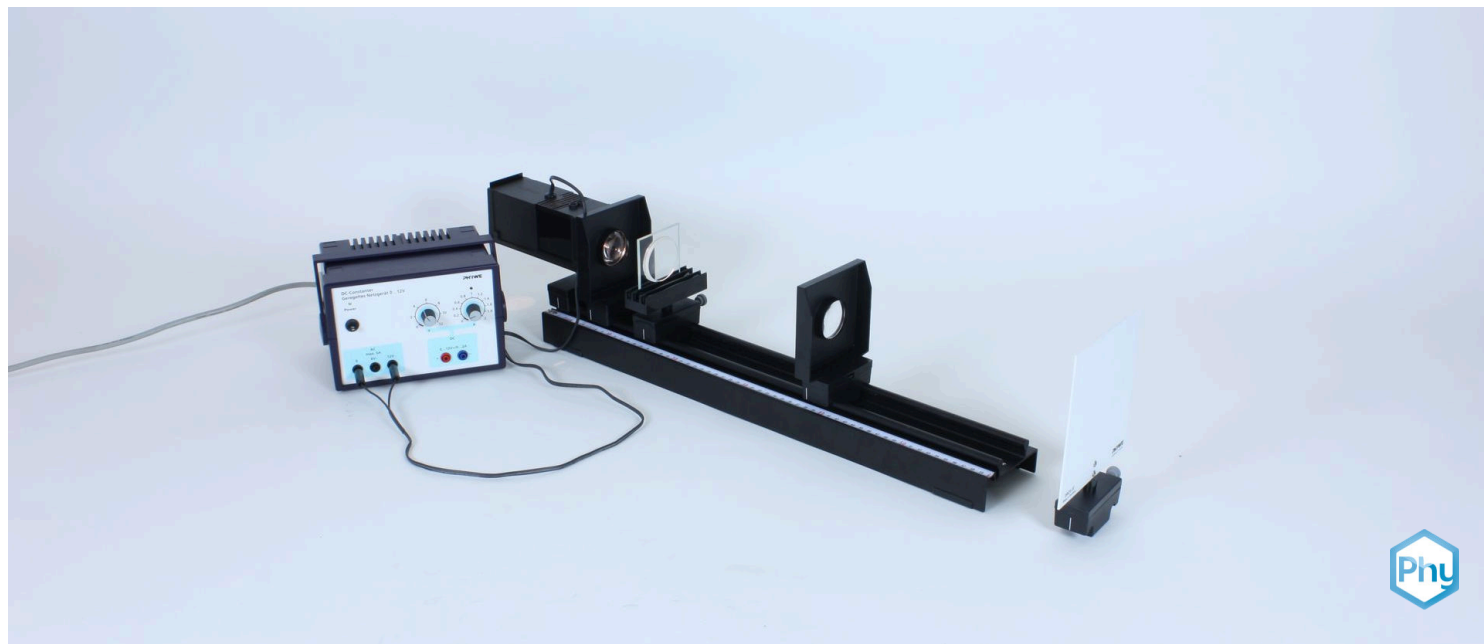


Newton's rings



Physics

Light & Optics

Diffraction & interference



Difficulty level

easy



Group size

1



Preparation time

10 minutes



Execution time

10 minutes

This content can also be found online at:

<http://localhost:1337/c/6257f2188f56090003409157>

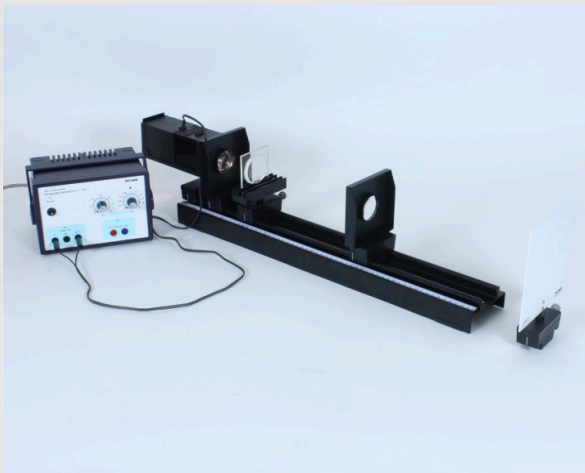
PHYWE



Teacher information

Application

PHYWE



Test setup

When a parallel beam of light impinges on a wedge of air bounded by a planar and a spherical glass body, interference produces a pattern of concentric ring-shaped fringes. The arrangement is called Newtonian color glass, the interference pattern Newtonian rings.

By evaluating Newton's rings, conclusions can be drawn about the quality and shape of the spherical lens, provided that the wavelength used is known.

Other teacher information (1/6)

PHYWE

Prior



Students do not need any special prior knowledge for this experiment.

Principle



The interference rings occur because some of the light passing through the plane-parallel plate and lens body passes directly through the array and some is reflected on its way first at the surface of the lens and then at the glass plate, creating a path difference.

Other teacher information (2/6)

PHYWE

Learning



The experiment is designed to illustrate the wave character of light to the students. The students learn how to determine the radius of the lens from the interference pattern.

Tasks



Students will learn how Newton's rings are formed and practice an application of this phenomenon by obtaining measurements experimentally and processing them further.

Other teacher information (3/6)

PHYWE

Notes on structure and implementation

Because of the simpler setup, the experiment with transmitted light was suggested, although the work with reflected light gives more contrasty images of Newton's rings. The experiment room should be well darkened.

Special care is required for marking and determining the image diameters D_n . It is recommended to record the position of the centers of the dark rings on a horizontal straight line which passes through the common center of the circle.

Other teacher information (4/6)

PHYWE

Notes

Before or after the experiment, the students should be encouraged to look through the Newtonian color glass and use the observation optics. This is the basis for the following experimental variant, which requires relatively little effort:

The red filter is placed on the table, on top of it the Newtonian color glass with the lens pointing upwards, and on top of it the observation optics. The whole thing is now lifted and one looks through the observation optics towards bright light. Then it is also possible to determine some D_n on the scale of the observation optics, if its plane boundary line coincides with the horizontal diameter of all rings. A disadvantage of this variant is that one can measure at most up to $n = 4$ and that one must accept a large relative error.

Other teacher information (5/6)

PHYWE

Notes

To derive the equation

$$4 \cdot R \cdot \lambda = D_{n+1}^2 - D_n^2$$

The following considerations can be made: r_n is for monochromatic light of wavelength λ the radius of the n-th dark ring, d_n the distance of the sphere surface from the plane-parallel plate for r_n . Then applies:

$$(R - d_n)^2 + r_n^2 = R^2$$

$$R^2 - 2Rd_n + d_n^2 + r_n^2 = R^2$$

$$-2Rd_n + d_n^2 + r_n^2 = 0$$

$$r_n^2 = 2Rd_n - d_n^2 \text{ and because of } R \gg d_n$$

$$d_n = r_n^2 / 2R$$

Other teacher information (6/6)

PHYWE

Notes

The wave trains passing smoothly through the Newtonian color glass have a path difference compared to the wave trains reflected twice on their way. $\Delta = 2d_n = r_n^2 / R$. On the other hand, the light waves interfering at adjacent rings have against each other a path difference of λ . Therefore, for two dark rings that follow each other, we get:

$$(r_{n+1}^2 / R) - (r_n^2 / R) = \lambda \text{ and from it } r_{n+1}^2 - r_n^2 = \lambda \cdot R.$$

The diameters of the rings can be determined experimentally more precisely than the radii. Due to $D_n = 2r_n$ you then get:
 $D_{n+1}^2 - D_n^2 = 4R\lambda.$

With the help of this relation it is possible to determine the wavelength λ if the spherical radius R is known, or vice versa, e.g., determine the radius of curvature of a lens when experimenting with monochromatic light of known wavelength.

Safety instructions

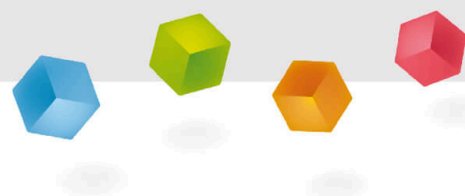
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The general instructions for safe experimentation in science education apply to this experiment.

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Student Information



Motivation

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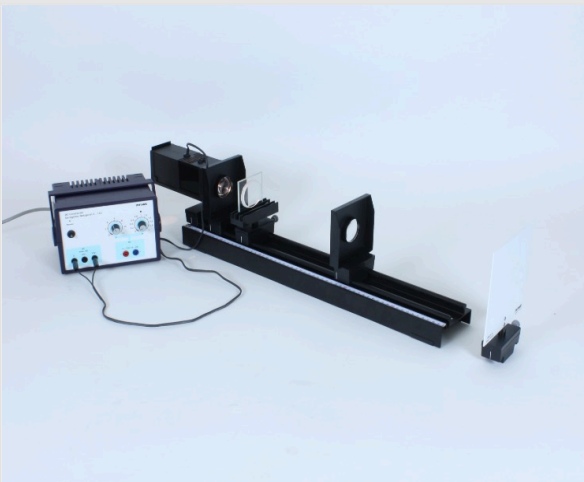
The sun as a natural light source

Light is defined as the range of the electromagnetic spectrum that is visible to humans. With diffraction objects, such as a lens, a special phenomenon of light - interference capability - can be observed, indicating a wave character of light.

But what does an interference pattern look like and what physical laws underlie it? These questions are investigated in this experiment.

Tasks

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The experimental setup

1. Send a parallel beam of light through a Newtonian color glass and determine the radius of the lens-shaped glass body with the help of the resulting rings.

Equipment

Position	Material	Item No.	Quantity
1	Light box, halogen 12V/20 W	09801-00	1
2	Bottom with stem for light box	09802-20	1
3	Optical profile-bench for student experiments, l = 600 mm	08376-00	1
4	Colour filter set, additive (red, blue, green)	09807-00	1
5	Lens on slide mount, f=+50mm	09820-01	1
6	Lens on slide mount, f=+100mm	09820-02	1
7	Slide mount for optical bench	09822-00	2
8	Screen, white, 150x150 mm	09826-00	1
9	Plate mount for three objects	09830-00	1
10	Plate and lens f. Newton rings	08551-00	1
11	PHYWE Power supply, 230 V, DC: 0...12 V, 2 A / AC: 6 V, 12 V, 5 A	13506-93	1
12	Measuring tape, l = 2 m	09936-00	1

Structure (1/4)

PHYWE

Experiment 1

- Set up the optical bench with the two tripod rods and the variable tripod base and apply the scale (Fig. 1).



Figure 1

Structure (2/4)

PHYWE

- Assemble the light as shown in Figures 2 and 3 and clamp it into the left part of the tripod base so that the lens side faces away from the optical bench (Fig. 4).
- Slide the opaque screen in front of the lens of the light (Fig. 5).



Figure 2



Figure 3



Figure 4



Figure 5

Structure (3/4)

PHYWE

- Place the lens with $f = +50$ mm on the optical bench at about 5 cm (Fig. 6).
- Place the rider with plate holder and Newtonian color glass (plate with lens) at about 10 cm. Note that the lens is above a leaf spring and that the leaf spring and lens point to the right (Fig. 7 and Fig. 8).
- Place the lens with $f = +100$ mm at about 22 cm (Fig. 9).

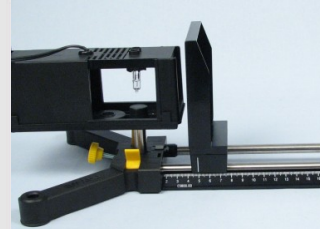


Figure 6

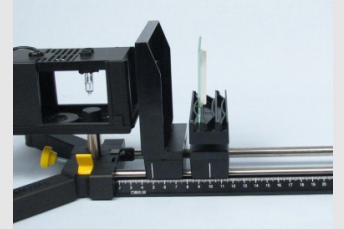


Figure 7

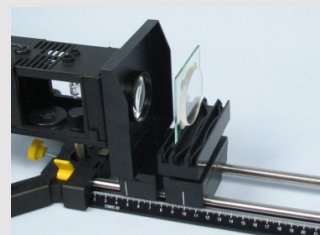


Figure 8

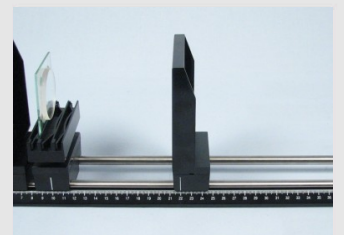


Figure 9

Structure (4/4)

PHYWE



Figure 10

- Position the screen with rider approx. 30 cm to the right of the optical bench (Fig. 10).

Implementation (1/4)

PHYWE

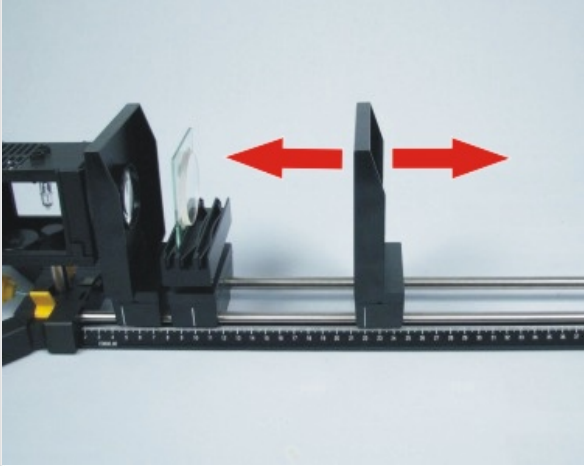


Figure 11

- Connect the lamp to the power supply (12 V~) and switch on the power supply.
- Move the lens with $f = +100$ mm on the optical bench (Fig. 11) until a sharp image of a colored pattern appears on the screen.
- Observe the picture and write down your observations.

Implementation (2/4)

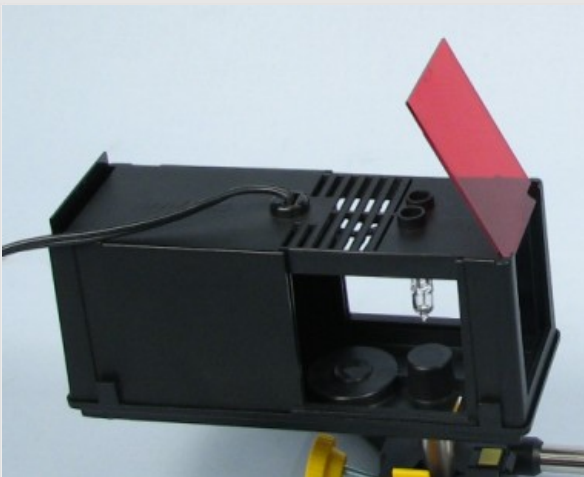


Figure 12

- Slide the red filter into the shaft of the light (Fig. 12).
- Again, observe the image and describe it.

Implementation (3/4)

PHYWE

- Attach a paper to the screen with 3 paper clips (Fig. 13) without changing the location of the screen; refocus the image if necessary.
- Measure the distances g (between the color glass and the lens with $f = +100 \text{ mm}$) and b (between the lens with $f = +100 \text{ mm}$ and the screen) (Fig. 14) and note the results.

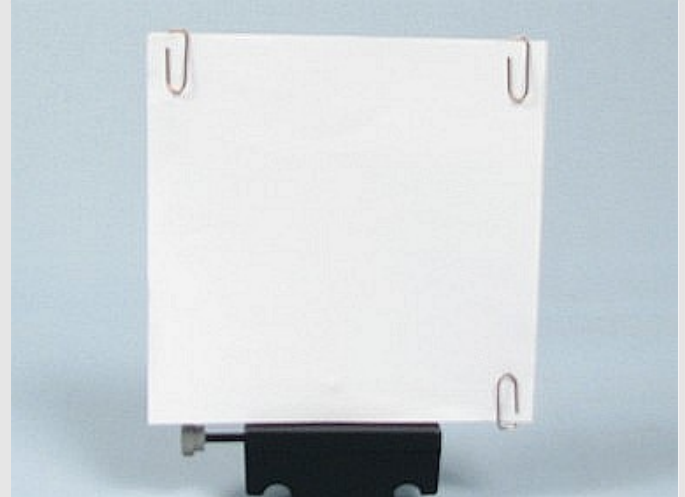


Figure 13

Procedure (4/4)

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- Use a pencil to mark the diameters of the dark rings shown on the paper and determine as many diameters as possible in this way. D'_n .
- Turn off the power supply.
- Measure the diameters with a ruler D'_n and note the values; D'_1 is the value for the smallest ring.

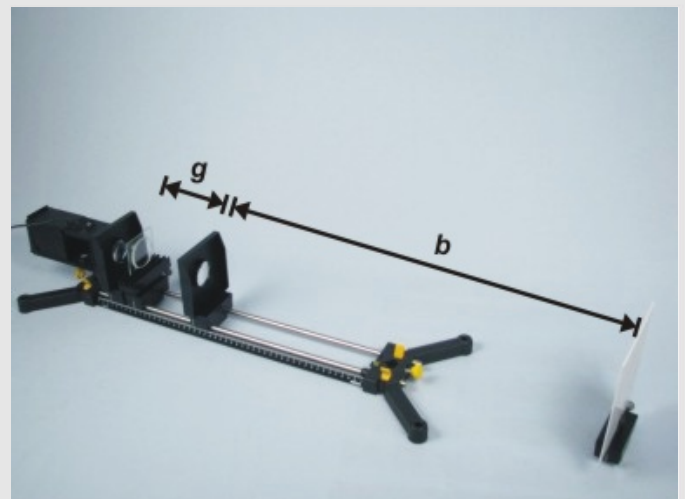
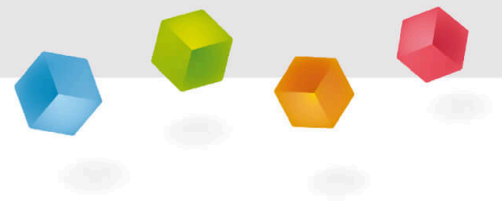


Figure 14

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Report



Task 1

PHYWE

Drag the words into the correct boxes!

When the light from the glass plate hits the , some of it passes through the lens immediately. Another part is reflected at the

of the lens and then at the surface of the before it too passes the lens. It has a .

Ist $\Delta = (2n - 1) \cdot (\lambda/2)$ then the light components with the wavelength λ off, for $\Delta = n \cdot \lambda$ them.

Task 2

PHYWE

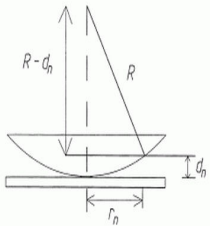


Figure 15

For the dark rings, which are formed when monochromatic light passes through the Newtonian color glass (cf. Fig. 15):

$$r_{n+1}^2 - r_n^2 = R\lambda.$$

What formula is obtained with the relation $2r_n = D_n$?

$$8R \cdot \lambda = D_{n+1}^2 - D_n^2$$

$$4R \cdot \lambda = D_{n+1}^2 - D_n^2$$

$$(1/4)R \cdot \lambda = D_{n+1}^2 + D_n^2$$

Task 3

PHYWE

Calculate the diameters D_n with the help of the equation $D_n/D'_n = g/b$. Then determine the mean value for $D_{n+1}^2 - D_n^2 = g/b$ to then calculate the radius R of the lens using the formula from Rec. 2. (The wavelength of the red color filter light is about 630 nm). What value do you obtain for R ?

☐ $R \approx 12 \text{ m}$
☐ $R \approx 10 \text{ m}$
☐ $R \approx 8 \text{ m}$
☒ Check

Slide	Score / Total
Slide 23: Formation of the interference rings	0/6
Slide 24: Equation of Newton's rings	0/1
Slide 25: Radius of the lens	0/1

Total  ★ 0/8



Solutions



Repeat